



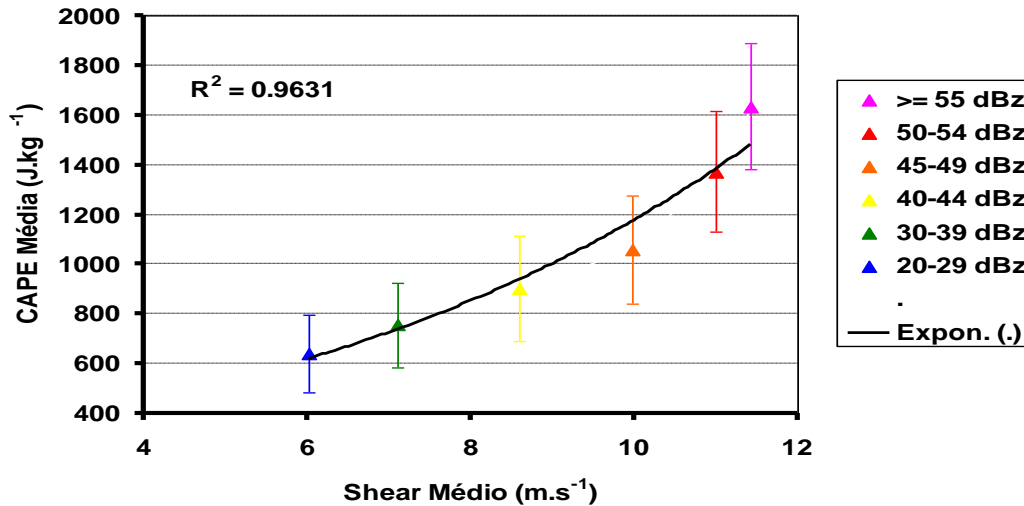
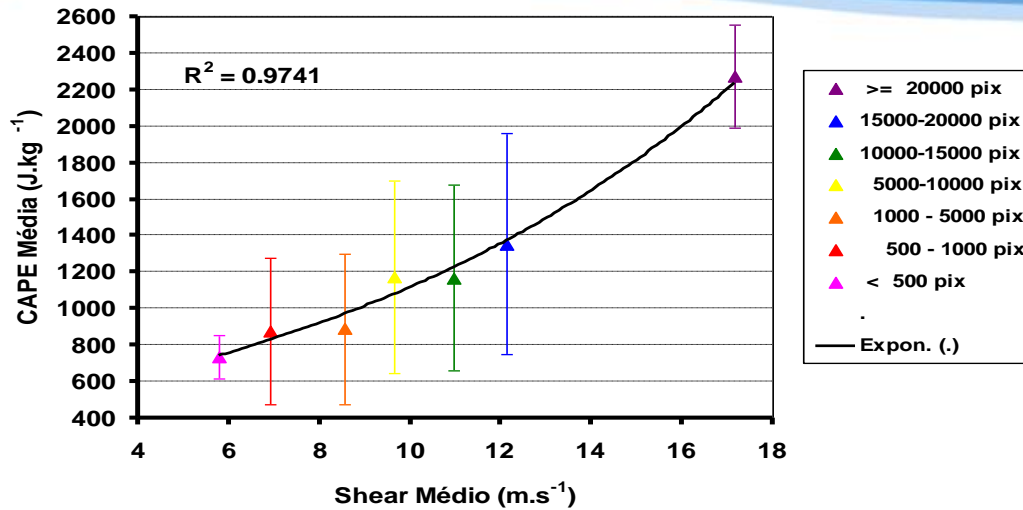
The Use of Geostationary Satellite Data for Nowcasting – Part 2

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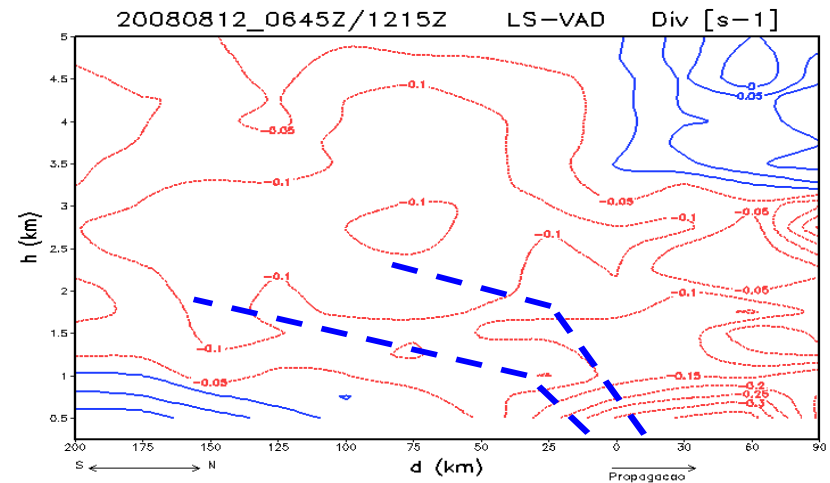
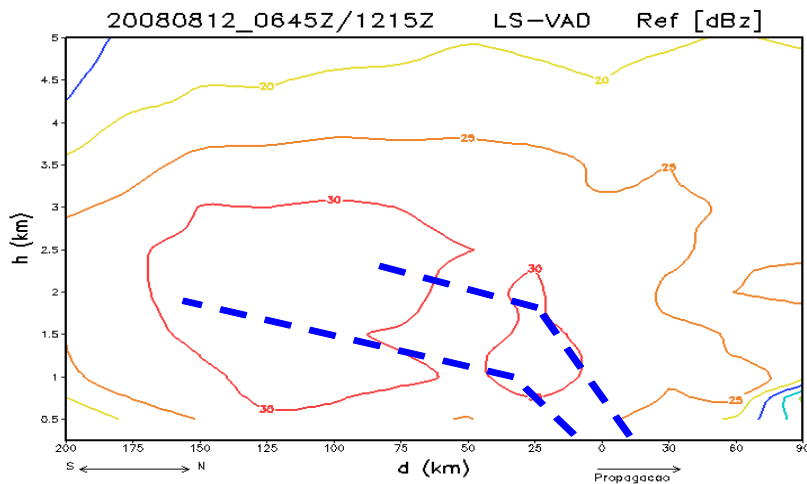
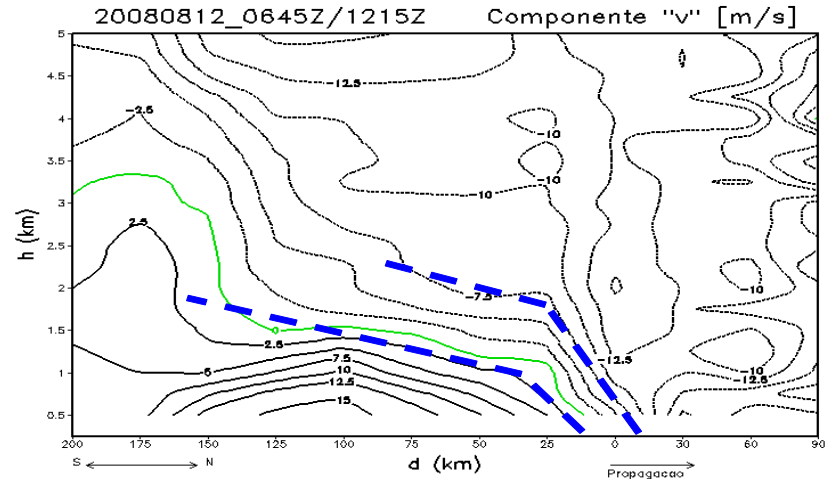
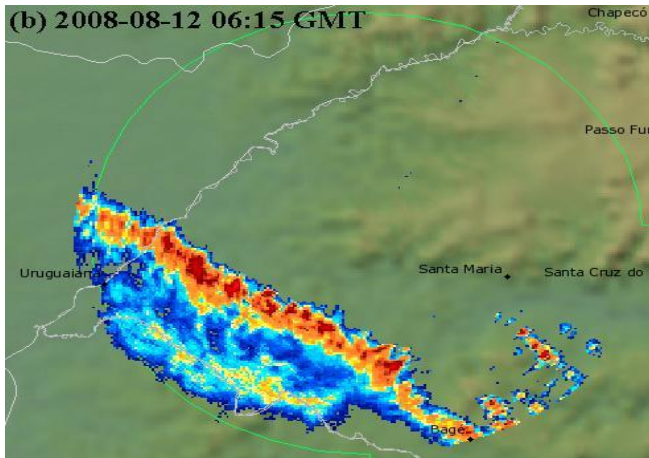


- ✓ Rain Cells in the Richardson Space.
- ✓ An Example of the Squall Line Internal Structure
- ✓ The Rain Cells propagation and Characteristics
- ❖ Analysis from ETA – 20 km resolution
- ❖ Santiago S band Doppler Radar – Rio Grande do Sul.



Results from Marco Aurelio Teixeira Master Degree

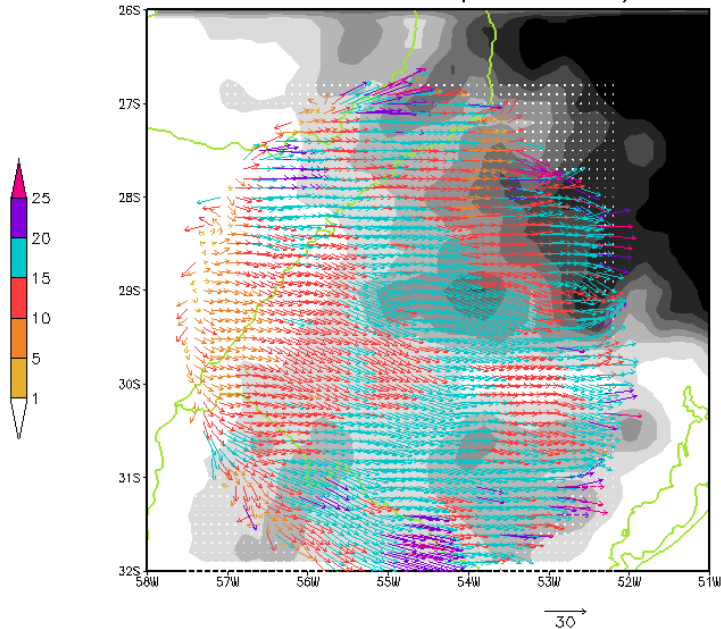
Squall line Circulation using LS-VAD - "Least Square Velocity Azimuth Display (LS-VAD), Developed by Dr. M. Chong from Laboratoire d'Aérodologie. Université de Toulouse, France



Results from Marco Aurelio Teixeira Master Degree

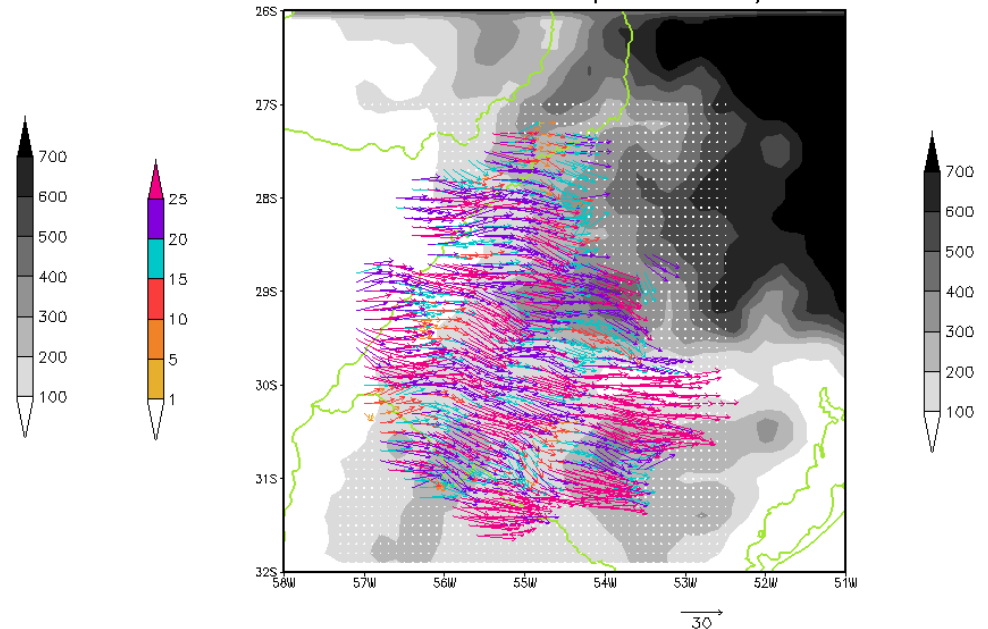
Small Rain Cells – Predominately linear

Propagacao Media dos Sistemas Precipitantes [km/h]
Res. 10km Menor 500pix Set07/Dez08



Large Rain Cells – Short Waves

Propagacao Media dos Sistemas Precipitantes [km/h]
Res. 10km Maior 500pix Set07/Dez08

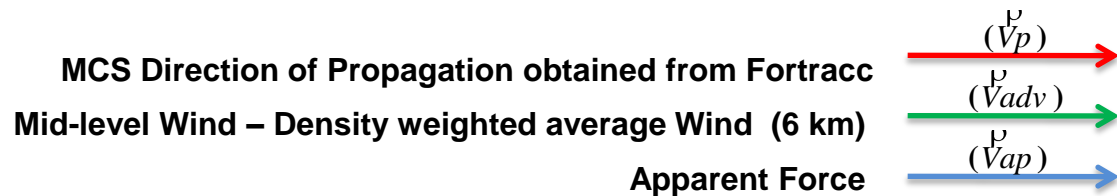
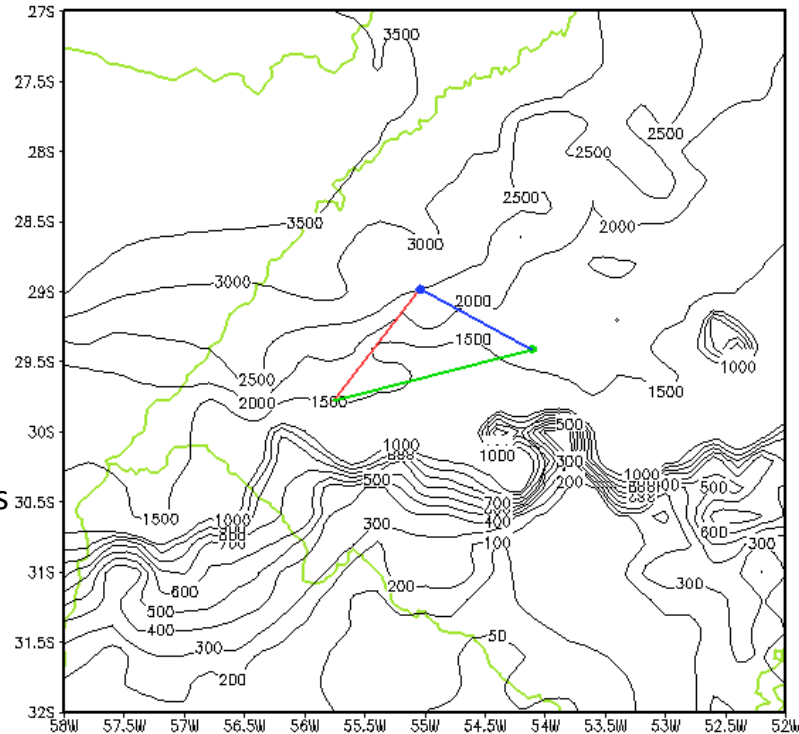


Results from Marco Aurelio Teixeira Master Degree

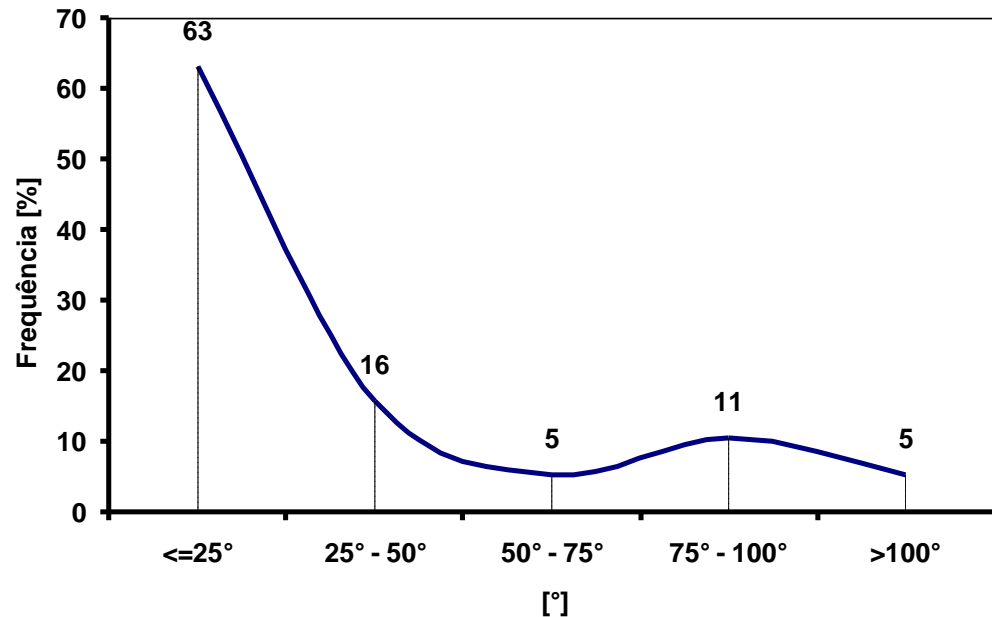
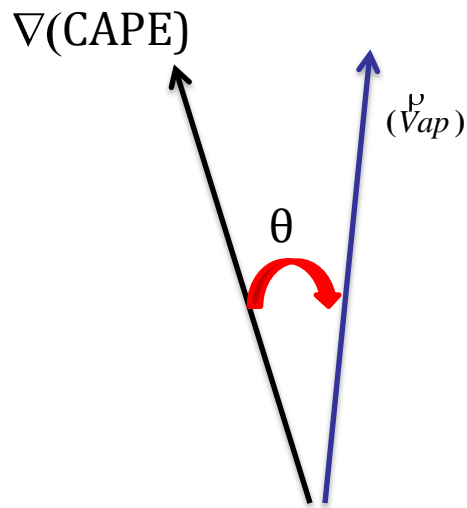
Steering-level model, Moncrieff and Green 1972 : In a general sense, $\sqrt{\text{CAPE}}$ dependence of the squall-line speed derives from the convective Richardson number: $R = \text{CAPE} / (1/2 (U-c)^2)$ where $U-c$ is the surface relative inflow to the squall line. So the travel speed equal to the mid-level wind at the "steering level") is $c = U + \sqrt{2 * \text{CAPE} / R}$.

Propagating model, Moncrieff and Miller : This model travels faster than the wind at any level . Propagation speed in an unsheared atmosphere approximately, $c = UM + 0.3 \sqrt{\text{CAPE}}$.

Propagacao do Sistema Precipitante
20102007 TD=2.00h 22.30GMT



Results from Marco Aurelio Teixeira Master Degree



Frequencies for θ . The difference between the Apparent Force and the Average CAPE Gradient (ACG) directions.

Vectors are considered linearly dependent

$$\vec{A} = \alpha \vec{B}$$

Considering the present situation:

$$|\vec{V}_{vap}| = 1702 |\vec{\nabla}_{CAPE}|$$

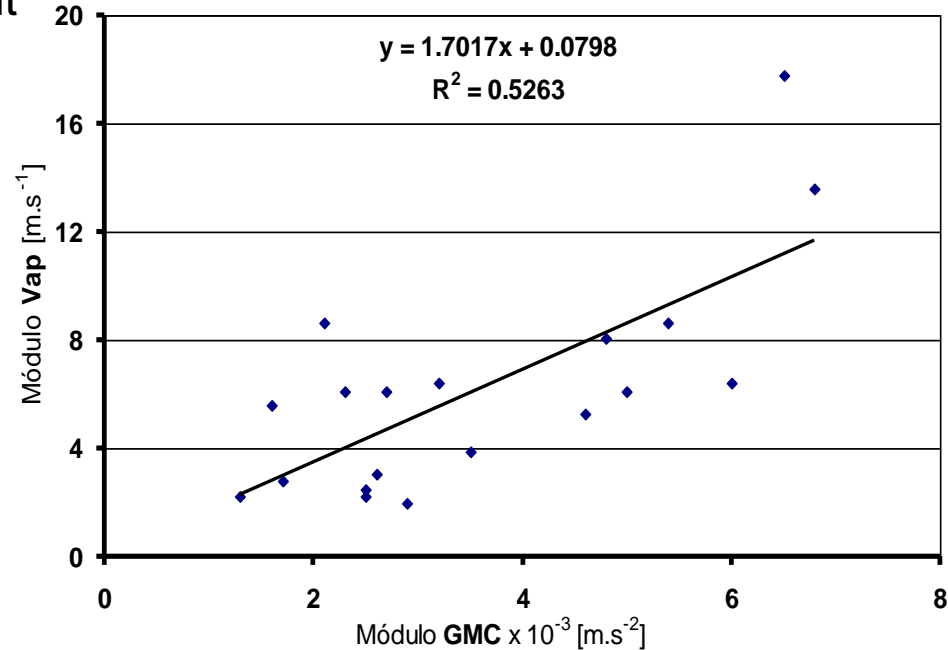
$$\alpha = 1702 \rightarrow \nabla(CAPE) = \text{m/s}^2$$

α is Time unit and correspond to a Seconds

Considering a Uniformly Accelerated Motion

$$\begin{cases} y = 1702x + 0,08 \\ V = t.a + V_0 \\ |\vec{V}_{vap}| = 1702 |\vec{\nabla}_{CAPE}| + |\vec{V}_{vap_0}| \end{cases} \rightarrow$$

Results from Marco Aurelio Teixeira Master Degree



$$V_0 = |\vec{V}_{vap_0}| = 0,08 \cong 0$$

Time is 30 minutes – 1800 s

MCS – actually rain cells moves as combination of

$$\vec{V}_p = \vec{V}_{adv} + \vec{\nabla}_{CAPE} \cdot \Delta t$$



Thank You

